

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

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$$\cos \alpha \cos \beta = \frac{1}{2} [\cos(\alpha + \beta) + \cos(\alpha - \beta)]$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

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$$x = a_0 + \sum_{n=1}^{\infty} a_n$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots$$

$$2^x$$



Edmodo Student Training

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

On Wednesday 7th October students completed a Survey on Digital Learning Platforms.

This survey identified a number of issues that students experienced online.

The purpose of today's training is to show you how to prevent these problems from happening and to give you guidelines on how best to approach digital learning.

This training will be made available on the school website and social media pages should you need to access the training again.

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

$$f(x) = a_0 + \sum_{n=1}^{\infty} \left(a_n \cos \frac{n\pi x}{L} + b_n \sin \frac{n\pi x}{L} \right)$$

$$a^2 + b^2 = c^2$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

Your Teachers will:

- ✓ Only upload work according to your usual school timetable
- ✓ Upload work by gam on the day they have lessons with you.
- ✓ Post all work as 'assignments' on Edmodo

For Students this means:

- You will only be asked to complete work according to your timetable.
- Any work you have for the day will be available at 9am.
- You will be able to see exactly what you have due, by checking your 'upcoming assignment' section

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$a^2 + b^2 = c^2$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

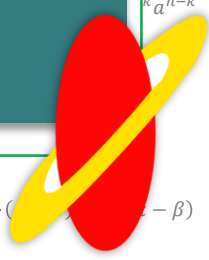
$$\sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

The following step is needed for
when you are using
a mobile phone to access
& upload work



$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

Download **Office 365** from the Play Store

or Apple Store

[Link to Office 365 on PLAY STORE](#)



[Link to Office 365 on APPLE STORE](#)



$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

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$$\cos \alpha + \cos \beta = 2 \cos \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$$



Microsoft 365 4+
Microsoft Corporation

App Bundle Free
Purchased Separately: \$0.00

6 Apps in This Bundle



Microsoft Word
Productivity



Microsoft Excel
Productivity



Microsoft PowerPoint
Productivity



Microsoft Outlook
Productivity



Microsoft OneNote
Productivity



OneDrive
Productivity

$$1! \cdot 2! \cdot 3!$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$$

$$f(x) = a_0 + \sum_{n=1}^{\infty} \left(a_n \cos \frac{n\pi x}{b-a} + b_n \sin \frac{n\pi x}{b-a} \right)$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

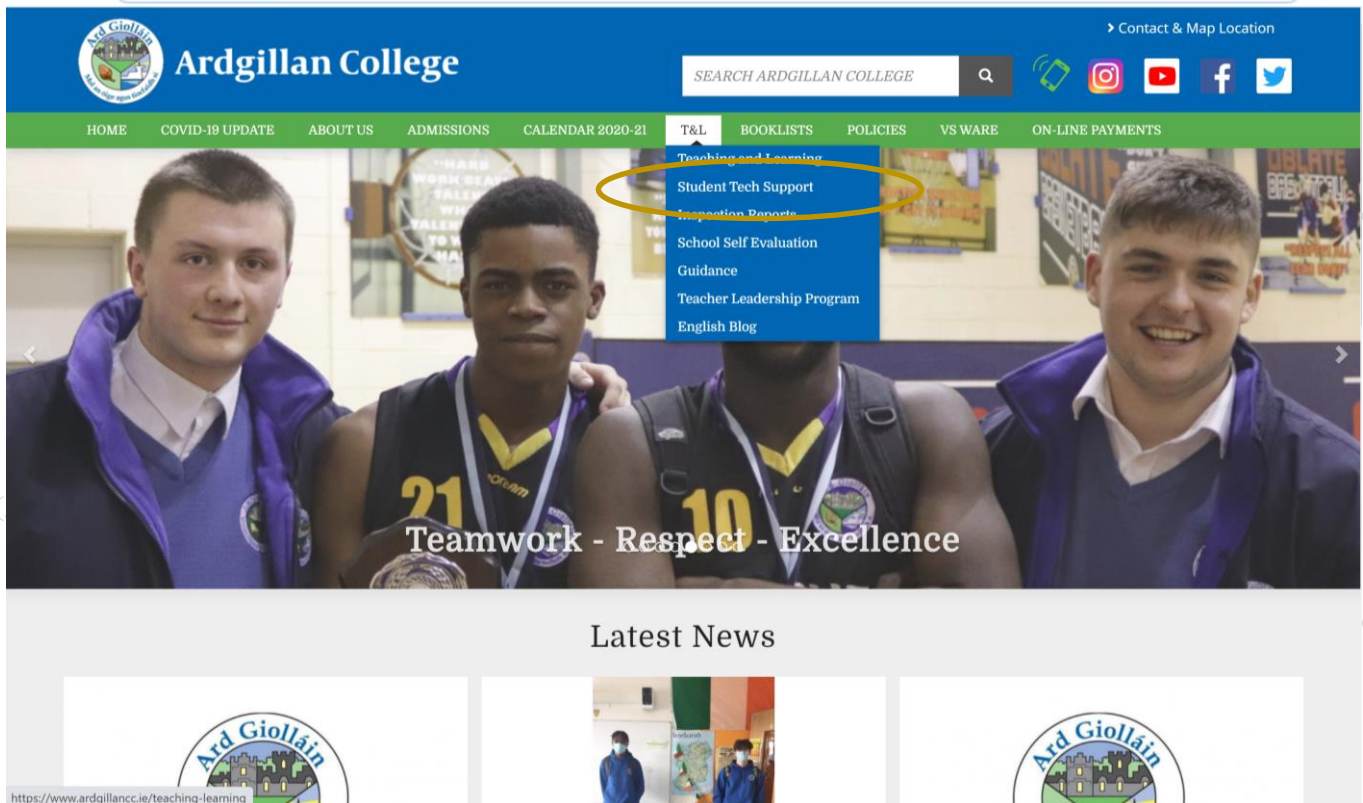
- The app is **Free** with your School Email account (@ardgillancc.ie)
- Once the App is downloaded on your phone you can **sign in** using your **school email address** and school email **password**. *(There should be a sticker on the inside of your journal with your school email and password)*
- This will automatically ensure PowerPoints/Word Documents your teachers post on Edmodo can be opened and viewed on your phone.

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!}$$

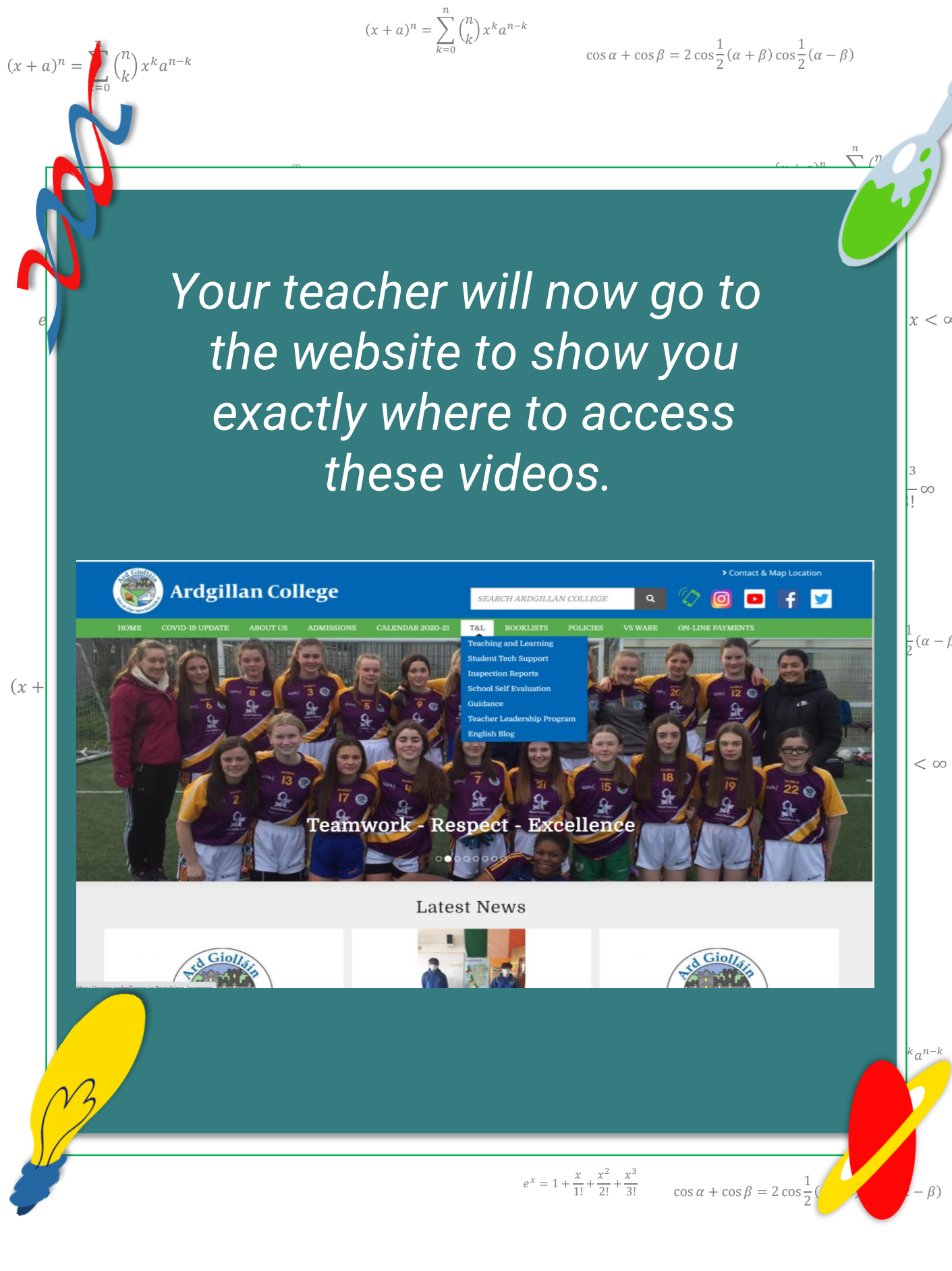
$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

Instructional Videos

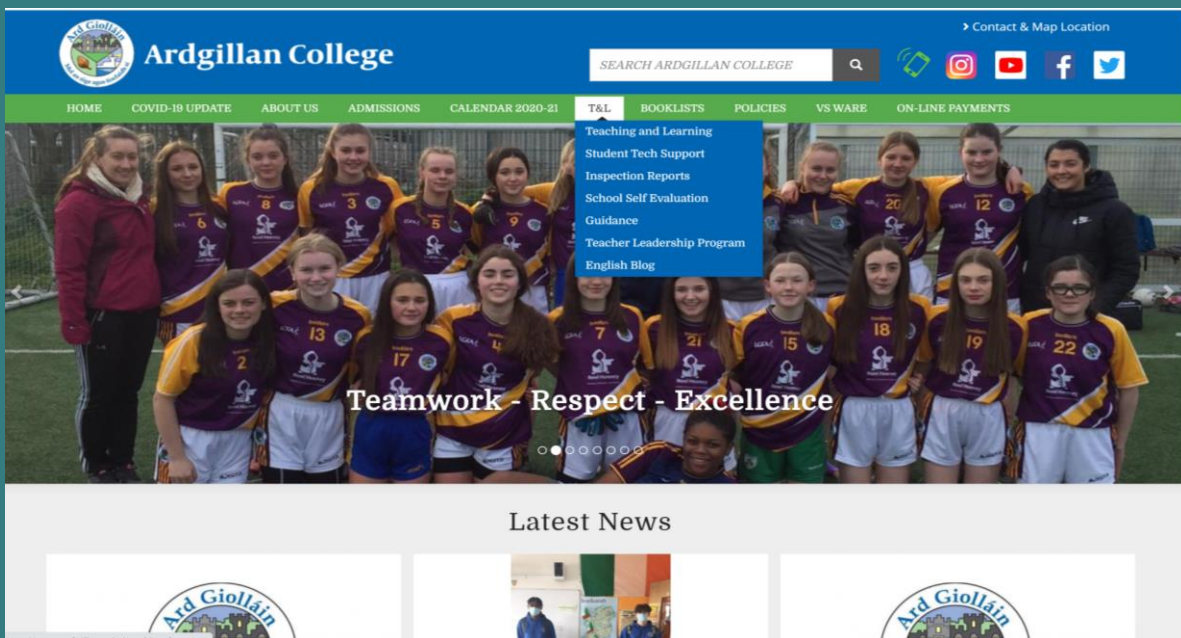
There is a series of instructional videos on the school website to guide you through any issues you may have



Website- Teaching &
Learning- Student Tech
Support



*Your teacher will now go to
the website to show you
exactly where to access
these videos.*



$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k}$$

$$f(x) = \sum_{n=1}^{\infty} \left(a_n \frac{n\pi x}{L} \sin \frac{n\pi x}{L} \right)$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots \quad -\infty < x < \infty$$

Please go home and watch these videos and ensure that you are signed up to all your classes.

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \sum$$

$$a^2 + b^2 = c^2$$

If you notice anything that we have not made a video on, please contact Ms. Collins and we will get working on it straight away!!

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(C) The app
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Here is a list of tips/steps you should take in order to get the most from your remote learning.

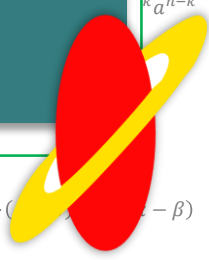
- Check your work Monday-Friday at 9am.
- Upload your completed work as soon as you have completed it to the Assignment section of Edmodo (Or TEAMS) -Make sure it is uploaded by 9am on the morning of your next lesson.
- Try to stick to working from approx. 9am-4pm approx.
- Your teachers are available from 8.30am to 3.30pm Monday to Friday.
- Contact your teachers asap if you don't understand/can't access your work.

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

*You have been given a label
to stick into your journal.
Please fill in what online
platform each of your
teachers are using and the
code beside it.
If you are missing any, ask a
classmate.*



$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!}$$

$$\cos \alpha + \cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

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$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

$$+ \dots, \quad -\infty < x < \infty$$

Help us, to help you....

If there is anything that you are unsure of, don't know how to use, please ask your tutor or teacher asap.

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$\cos \beta = 2 \cos \frac{1}{2}(\alpha + \beta) \cos \frac{1}{2}(\alpha - \beta)$$

$$\frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

$$x = a_0 + \sum_{n=1}^{\infty} \dots$$

$$e^x = 1 + \dots$$

$$2$$



$$(x+a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

$$f(x) = a_0 + \sum_{n=1}^{\infty} (a_n \cos \frac{n\pi x}{b-a})$$


$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$


Setting up your Edmodo Account

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots, \quad -\infty < x < \infty$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \sum a^2 +$$


20:06





Search Edmodo

Latest Activity

My Classes







Ms. O' Toole
Teacher
3 hours ago


Assignment


Nutrition Introduction
Submitted: 9 October 2020 19:56
Read notes attached and complete the questions in slides.

View Assignment










Ms. O' Toole
Teacher
3 hours ago



Assignment


Special Diets: Low Sugar Diet and Obesity
Submitted: 9 October 2020 19:11
(1) Read through and listen to slides
(2) Fill in concept square as notes and upload picture




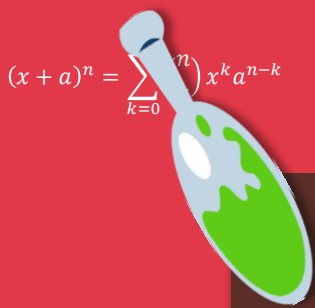

Classes


Planner


Discover


Messages

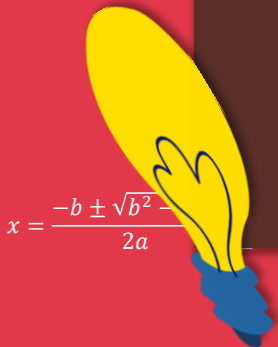

Notifications



$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \dots$$

Once the Office 365 app is downloaded onto your phone- The documents your teacher posts should open in the App in the correct format

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \dots$$



16:46



Search Edmodo

Latest Activity

My Classes



Ms. O' Toole

Teacher

8 seconds ago



Assignment

Special Diets: Low Sugar Diet and Obesity

Due 16 October 2020 21:00

- (1) Read through and listen to slides
- (2) Fill in concept square as notes and upload picture

[View Assignment](#)



Ms. O' Toole

Teacher

8 hours ago



Quiz

Nutrition Quiz- Protein and Carbohydrates

Due 13 October 2020 08:30

This is a revision quiz on nutrients-Protein and Carbohydrates



Classes



Planner



Discover



Messages



Notifications

$$(x + a)^n = \sum_{k=0}^n \binom{n}{k} x^k a^{n-k}$$

Problem 2:

Uploading
clear
pictures
to the
Assignment
Post

19:09

Home

Recommended

Choosing a Home

Laura Owens (Ardgillan CC) e...
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Dublin & Dun Lao...te Learning Group

Low Sugar and Obesity Diets
• Low Sugar and Obesity Diets.pptx

Low Sugar and Obesity Concept Square

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Actions